

Using superposition with MNA method

Circuit and admittance matrix, by hand or using MNA function from the other worksheet.

V1	1	0
R1	1	2
C1	2	0
RT	2	3
CT	2	3
LK	3	4
RK	4	5
CK	5	0
RO	5	0
CO	5	0

$$A := \begin{bmatrix} \frac{1}{R1} & -\frac{1}{R1} & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1 \\ -\frac{1}{R1} & \frac{R1 \cdot (1 + s \cdot CT \cdot RT + s \cdot C1 \cdot RT) + RT}{R1 \cdot RT} & -\frac{1 + s \cdot CT \cdot RT}{RT} & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & -\frac{1 + s \cdot CT \cdot RT}{RT} & \frac{RT \cdot (1 + s^2 \cdot CT \cdot LK) + s \cdot LK}{s \cdot LK \cdot RT} & -\frac{1}{s \cdot LK} & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & -\frac{1}{s \cdot LK} & \frac{RK + s \cdot LK}{s \cdot LK \cdot RK} & -\frac{1}{RK} & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & -\frac{1}{RK} & \frac{RK \cdot (1 + s \cdot CO \cdot RO + s \cdot CK \cdot RO) + RO}{RK \cdot RO} & 0 & 0 & 0 & 0 & 0 \\ 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \end{bmatrix}$$

$\chi := "X"$

Solve the linear system

$$B := \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & V_1(f, n) \end{bmatrix}^T \quad V := A^{-1} \cdot B$$

Complex freq

$$s := 0 + i \cdot n \cdot 2 \cdot \pi \cdot f \quad v_2(t, f, n) := V_2$$

Values

$$\begin{aligned} R1 &:= 327.1 \text{ k}\Omega & C1 &:= 200 \text{ pF} & Vo &:= 0.8 \text{ V} \\ RT &:= 9 \text{ M}\Omega & CT &:= 12.78 \text{ pF} & LK &:= 250 \text{ nH} \\ RK &:= 1.5 \Omega & CK &:= 100 \text{ pF} & nmax &:= 8 \\ RO &:= 1 \text{ M}\Omega & CO &:= 15 \text{ pF} & & \end{aligned}$$

Square wave

$$v_1(t, f) := Vo \cdot \text{sign}(\sin(2 \cdot \pi \cdot f \cdot t)) \quad V_1(f, n) := -i \cdot \frac{4 \cdot Vo}{n \cdot \pi}$$

Solution

$$v_2(t, f) := \sum_{k=1}^{nmax} v_2(t, f, 2 \cdot k - 1) \cdot e^{(2 \cdot k - 1) \cdot i \cdot 2 \cdot \pi \cdot f \cdot t}$$

Frequency

$$f := 2314 \text{ Hz} \quad T := \frac{[1..200] - 1}{200 - 1} \cdot \frac{2}{f} + \frac{4}{f}$$

Using spice#

```
.TRAN 0 {6/freq} {4/freq} {0.01/freq}
.SAVE V(1) V(2) I(R1)
.PARAM freq=@
```

$\chi M := "X M"$

$CR := \text{num2str}(\text{str2num}(\text{concat}("\", "000D", "\")))$

$\text{wave} := "PULSE(-0.8 0.8 0 1u 1u \{1/freq/2-1u\} \{1/freq\})"$

$\text{circ} := \text{strrep}(\text{description}(\chi \text{Ver}), "V1s", \text{wave})$

$\text{mode} := \text{strrep}(\text{description}(\chi M), "@", \text{num2str}(\text{eval}(f \text{ s})))$

$M := \text{🔌} \{CR\} \{circ\} \{CR\} \{mode\} \{CR\} .END, _$

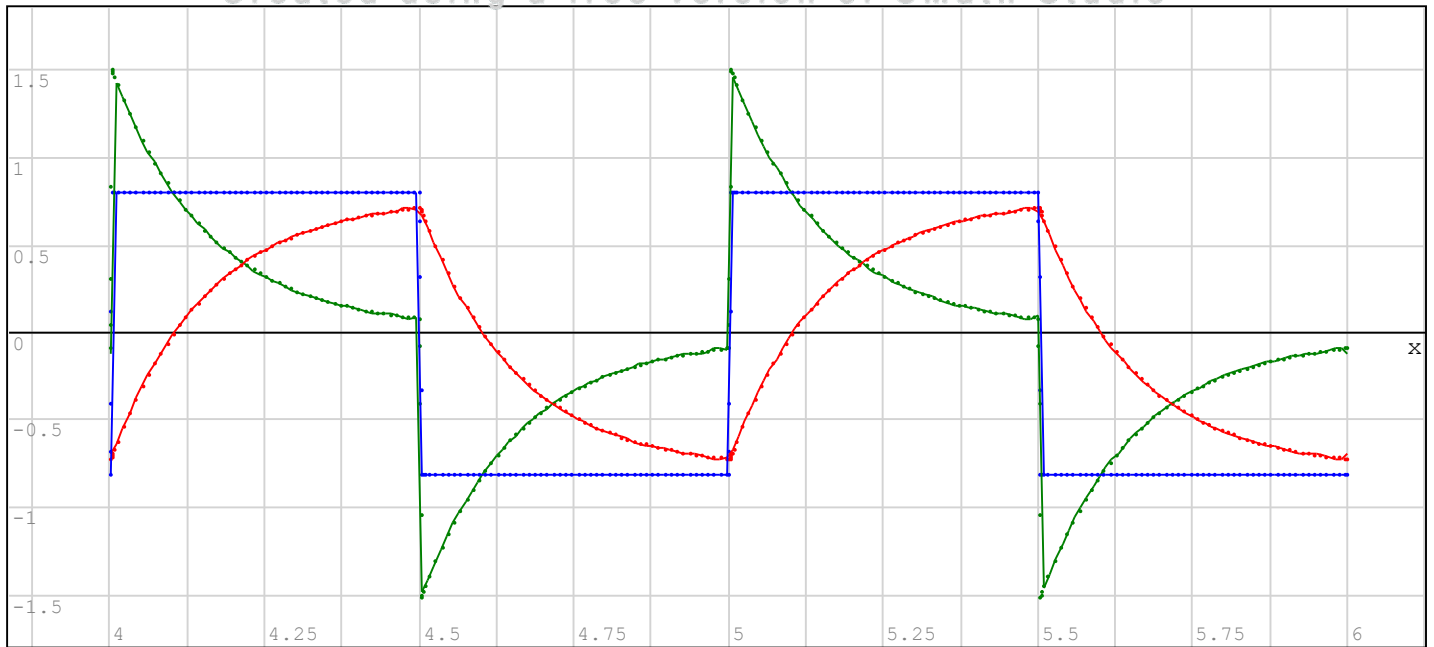
$$\begin{bmatrix} T_M & V_1 & V_2 \end{bmatrix} := \begin{bmatrix} \text{col}(M, 1) & \text{s col}(M, 2) & \text{v col}(M, 3) & \text{v} \end{bmatrix}$$

$$\text{rows}(M) = 239$$

```
V1 1 0 V1s
R1 1 2 327.1k
C1 2 0 200p
RT 2 3 9MEG
CT 2 3 12.78p
LK 3 4 250n
RK 4 5 1.5
CK 5 0 100p
RO 5 0 1MEG
CO 5 0 15p
```

$\chi \text{Ver} := "X \text{Ver}"$

Compare both solutions



```

augment ( T · f , V1_n := eval (  $\overrightarrow{\text{Re}(v_1(T, f))}$  ) )
augment ( T · f , V2_n := eval (  $\overrightarrow{\text{Re}(v_2(T, f))}$  ) )
augment ( T · f , V1_n - V2_n )
augment ( T_M · f , V1 , ".", 6 , "blue" )
augment ( T_M · f , V2 , ".", 6 , "red" )
augment ( T_M · f , V1 - V2 , ".", 6 , "green" )

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Alvaro

appVersion(4) = "1.73.9126.0"